

Intro to Market Simulations & Theory



Outline

- ▶ Mechanics of conjoint simulations
- ▶ Gaps separating preference share and market share
- ▶ Preference share simulation as one component of a larger forecasting system
- ▶ Improving forecast accuracy

Why Conduct Market Simulations?

- ▶ Reflect real-world behavior
 - Represent idiosyncratic preferences of segments and individuals (remember, you don't have to appeal to the “fat” part of the market to carve out a profitable business)
- ▶ A “choice laboratory” for testing of alternative marketing strategies
- ▶ Results expressed in terms that make sense to managers

Why Conduct Market Simulations? (cont.)

- ▶ Examining utilities and importances only gets you so far
 - Average utilities cannot tell the whole story
 - Fallacy of Division

- ▶ Helps to answer strategic questions:
 - At what price will people switch to a competitor?
 - Can we modify our product to reduce cost while maintaining share?
 - Should we launch a high-end product or a budget model (or both)?
 - Will the new product cannibalize our own sales?

Preferred Color?

- ▶ Consider the following utilities:

	Blue	Red	Yellow
Respondent #1	50	40	10
Respondent #2	0	65	75
Respondent #3	40	30	20
Average	30	45	35

- ▶ Red has the highest average preference
- ▶ But, does any one respondent prefer red?

Chosen Color?

- ▶ Each respondent's preferred color:

	Blue	Red	Yellow	"Choice"
Respondent #1	50	40	10	Blue
Respondent #2	0	65	75	Yellow
Respondent #3	40	30	20	Blue
Average	30	45	35	

- ▶ Blue "chosen" twice, Yellow once

Competitive Effects

- ▶ Assume 80% of market prefers round widgets, and 20% prefers square ones
- ▶ Which should you take to market?
- ▶ In the absence of any other information, round would be the logical choice
- ▶ But what if there currently are 10 competitors in the market, ALL only offering round widgets?

Simulations: Mechanics

- ▶ OK, simulations are good--but how do we do it?
- ▶ First we need utilities for product features, ideally for each respondent

	Resp. 1	Resp. 2	...	Resp. 500
Vanilla	2.5	-1.0		3.7
Chocolate	1.8	1.0		0.5
\$0.25	5.3	1.2		1.0
\$0.35	3.2	0.7		0.8
\$0.50	1.4	-1.9		0.5

Many Ways to Simulate

- ▶ First Choice Rule (also called “maximum utility rule”)
- ▶ Logit Probability Rule
- ▶ Randomized First Choice

“First Choice” Market Simulations

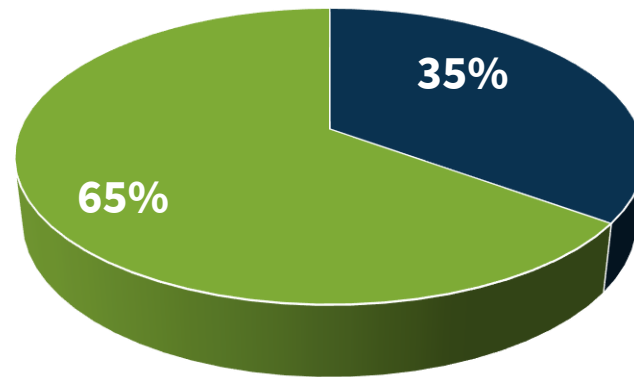
- ▶ For each respondent, assume respondent chooses the product with the highest utility
- ▶ Count these respondent choices (be careful about calling them “Market Shares”)

Market Simulation Example

	Resp. 1	Resp. 2	...	Resp. 500
Vanilla	2.5	-1.0		3.7
Chocolate	1.8	1.0		0.5
\$0.25	5.3	1.2		1.0
\$0.35	3.2	0.7		0.8
\$0.50	1.4	-1.9		0.5
\$0.25 Choc.	7.1	2.2		1.5
\$0.35 Van.	5.7	-0.3		4.5
Winner	Chocolate	Chocolate		Vanilla

Market Simulation Results

- ▶ Predict responses for 500 respondents, and we might see “shares of preference” like:



■ Vanilla @ 35¢ ■ Chocolate @ 25¢

- ▶ 65% of respondents prefer the 25¢ Chocolate cone

How Realistic is the First Choice Rule?

- ▶ First choice model is simple to do and easy to understand, but usually oversimplifies consumer behavior
 - Assumes a product barely preferred over another is chosen 100% of the time (winner takes all)
- ▶ Less efficient use of data: we learn about which product is preferred, but don't capture anything about relative preferences of not preferred options
 - Standard errors of simulated shares relatively high

First Choice Rule: When to Use

- ▶ Despite the theoretical problems, there are certain conditions under which First Choice can work quite well
 - Large sample size
 - The situation we want to model really is “winner take all” (e.g. large purchases where consumers actually DO only ever “buy” one
 - Automobiles
 - Refrigerators
 - Etc.

The Unpredictable Buyer

- ▶ Buyers never purchase with 100% certainty the product our model says is most preferred within a set
 - Error present in model estimation, respondent choices
 - Some “random” behavior occurs
 - Other unaccounted for influences (e.g. out-of-stock, children in the cereal aisle) can alter choice
 - Variety seeking

How to Model Uncertain Behavior?

- ▶ For each respondent, perhaps we can estimate continuous probabilities of purchase rather than either 0% or 100% each alternative (vote splitting)

	<u>First Choice</u>	<u>“Share of Preference”</u>
A	0%	10%
B	100%	60%
C	0%	30%

- ▶ But how to do it?

The Logit Rule (Share of Preference)

- ▶ Available when utilities estimated using a logit model
- ▶ Probability of choosing alternative A with utility U_a from set of product alternatives {A B C} is

$$P(A) = \frac{\exp(U_a)}{\exp(U_a) + \exp(U_b) + \exp(U_c)}$$

- ▶ Where “ $\exp(U_i)$ ” is the antilog of U_i , also known as raising the constant “e” (2.7183...) to the power U_i

Logit Rule Example

- ▶ Assume three product alternatives with the following utilities (after adding up their respective part worths):

A 0.75

B 0.00

C -1.25

- ▶ Share of A:

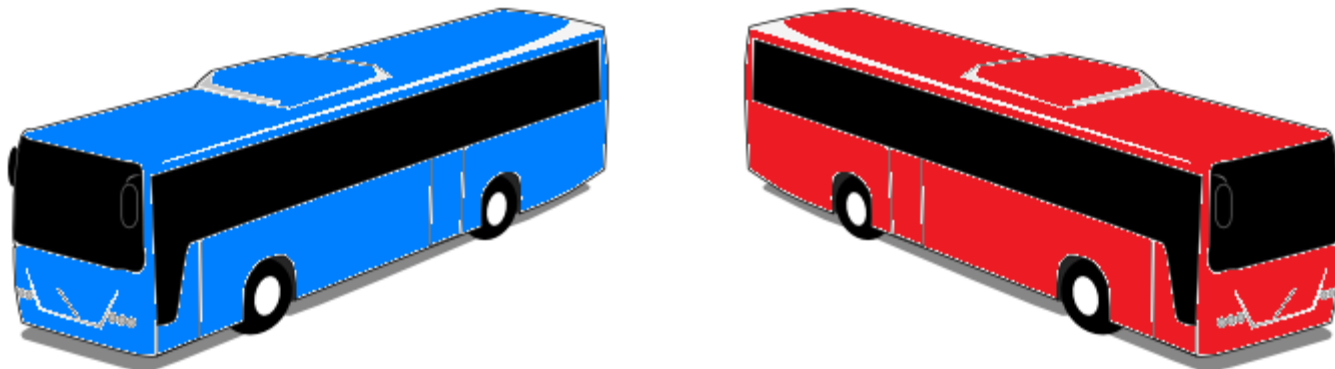
$$\exp(0.75) / [\exp(0.75) + \exp(0.00) + \exp(-1.25)]$$

$$= 2.117 / [2.117 + 1.000 + 0.287]$$

$$= 62.2\%$$

Red-Bus/Blue-Bus Problem (IIA)

- ▶ Logit has a property called “Independence of Irrelevant Alternatives” or IIA
 - This property states that the ratio between any two alternatives’ shares should be independent of all other alternatives
 - This property also implies constant substitution rates, which is unrealistic



IIA Example

- ▶ Consider two drink alternatives, Pepsi and Milk, with the following logit utilities:

Pepsi	1.0
Milk	2.0

$$\begin{aligned}\text{Share for Pepsi} &= \exp(1.0)/[\exp(1.0)+\exp(2.0)] \\ &= 2.72/(2.72+7.39) \\ &= 26.9\%\end{aligned}$$

$$\text{Share for Milk} = 7.39/(2.72 + 7.39) = 73.1\%$$

Consider the Introduction of Coke

- ▶ Assume a new alternative appears, Coke, with a logit utility (like Pepsi) of 1.0
- ▶ What are the new shares for Pepsi, Milk, and Coke?
 - $\text{Pepsi} = 2.72 / (2.72 + 7.39 + 2.72) = 21.2\%$
 - $\text{Milk} = 7.39 / (2.72 + 7.39 + 2.72) = 57.6\%$
 - $\text{Coke} = 2.72 / (2.72 + 7.39 + 2.72) = 21.2\%$
- ▶ Coke takes share proportionally from Pepsi and Milk:

	<u>Original</u>	<u>New</u>	<u>Change</u>
Pepsi	26.89	21.19	-21.19%
Milk	73.11	57.61	-21.19%
Coke	N/A	21.19	

Reducing IIA Troubles

- ▶ When we use Latent Class or HB modeling to generate utilities and to accommodate heterogeneity, the Red Bus/Blue Bus problem may be reduced.
 - Similar products tend to compete more closely with one another.
- ▶ Simulation methods that directly assess and penalize product similarity can help even more.

Randomized First Choice (RFC)

- ▶ RFC sits in a middle ground between the First Choice and Logit choice rules
- ▶ Can be used with aggregate or disaggregate utilities
- ▶ “Splits” shares but reflects more accurate substitution effects for similar products than does the Logit Rule
- ▶ Is tunable, in terms of scale and product similarity

Market Simulation – One Vote/Respondent

	Resp. 1	Resp. 2	...	Resp. 500
Vanilla	2.5	-1.0		3.7
Chocolate	1.8	1.0		0.5
\$0.25	5.3	1.2		1.0
\$0.35	3.2	0.7		0.8
\$0.50	1.4	-1.9		0.5
\$0.25 Choc.	7.1	2.2		1.5
\$0.35 Van.	5.7	-0.3		4.5
Winner	Chocolate	Chocolate		Vanilla

Splitting Respondents' Votes

	Resp. 1 Actual Util.	Resp. 1 Iteration 1	...	Resp. 1 Iteration 10,000
Vanilla	2.5	$2.5 + 0.015$		$2.5 + 1.5$
Chocolate	1.8	$1.8 - 0.75$		$1.8 - 1.25$
\$0.25	5.3	$5.3 + 0.20$		$5.3 - 0.75$
\$0.35	3.2	$3.2 - 1.33$		$3.2 + 0.5$
\$0.50	1.4	$1.4 + 2.15$		$1.4 - 0.14$
\$0.25 Choc.	7.1	6.55		5.1
\$0.35 Van.	5.7	4.385		7.7
Winner	Chocolate	Chocolate		Vanilla

Weaknesses of RFC

- ▶ **If a correction for similarity is applied to Price**
 - Creates distortions in the demand curve due to severe product similarities of reference brands held all at the same price
 - But, you can turn off the “correction for product similarity” for price! (This happens almost automatically in the online simulator, but you must remember to change the setting in SMRT)

- ▶ **If simulating for many (say, 20+ products) some shares can become so small that the random component introduced by RFC makes such small shares imprecise, unless you increase sampling iterations considerably.**

Simulator Options

- ▶ Sawtooth Software offers two off-the-shelf options:
 - Choice Simulator integrated into Lighthouse 9 and available as a standalone simulator
 - Online Simulator: Web-based simulator

- ▶ Build-Your-Own in Excel, etc.

Conjoint Market Simulation Assumptions

- ▶ We have interviewed the right people
- ▶ Each person is in the market to buy
- ▶ Respondent answers are reliable and valid
- ▶ We've used a proper measurement technique and matched it with an appropriate statistical model
- ▶ All attributes that affect buyer choices in the real world have been accounted for

Conjoint Market Simulation Assumptions

- ▶ Equal availability (distribution)
- ▶ Respondents are aware and equally familiar with all products
- ▶ Long-range equilibrium (equal time on market)
- ▶ Equal effectiveness of sales force, social media, word-of-mouth
- ▶ No out-of-stock conditions

Shares of Preference \neq Market Shares

- ▶ Not all conjoint simulator assumptions hold true in the real world
- ▶ But this doesn't mean that conjoint simulators are not valuable!
- ▶ Simulators turn esoteric “utilities” into concrete “shares”
- ▶ Conjoint simulators predict respondents' interest in products/services assuming a level playing field

“Tuning” Logit Simulations

- ▶ Multiplying all part worth utilities by value > 1 causes relative shares to become steeper (<1 shares become flatter)
- ▶ With these utilities:

A	0.75
B	0.00
C	1.25

- ▶ Shares under different multipliers:

	<u>0.01</u>	<u>1.0</u>	<u>5.0</u>
A	33.6	62.2	97.7
B	33.4	29.4	2.3
C	33.0	8.4	0.0

Scale Factor (λ)

- ▶ The multiplier applied to all utilities referred to at Sawtooth Software as the “Exponent”
- ▶ As $\lambda \rightarrow \infty$, shares become First Choice (best alternative gets 100% share)
- ▶ As $\lambda \rightarrow 0$, shares flatten to become equal

Tuning to Survey Data or Market Data

- ▶ The scale factor built into utilities reflects the degree of uncertainty in conjoint judgments within the questionnaire
- ▶ You may choose to adjust the scale factor (for all respondents) by a uniform additional degree
 - To better fit actual market share information
 - To better fit “holdout choices”
 - Within the questionnaire – no reason it should be different
 - Better yet, holdout choices made by holdout respondents
- ▶ Sawtooth Software’s “exponent” does that
- ▶ This is the same as if you multiply all utilities by the desired scale factor in a spreadsheet simulator

Interpolation

- ▶ Straight-line interpolation often used to simulate for a level between two that were measured:



- ▶ Usually a fairly accurate, safe procedure for “ordered” attributes

Extrapolation

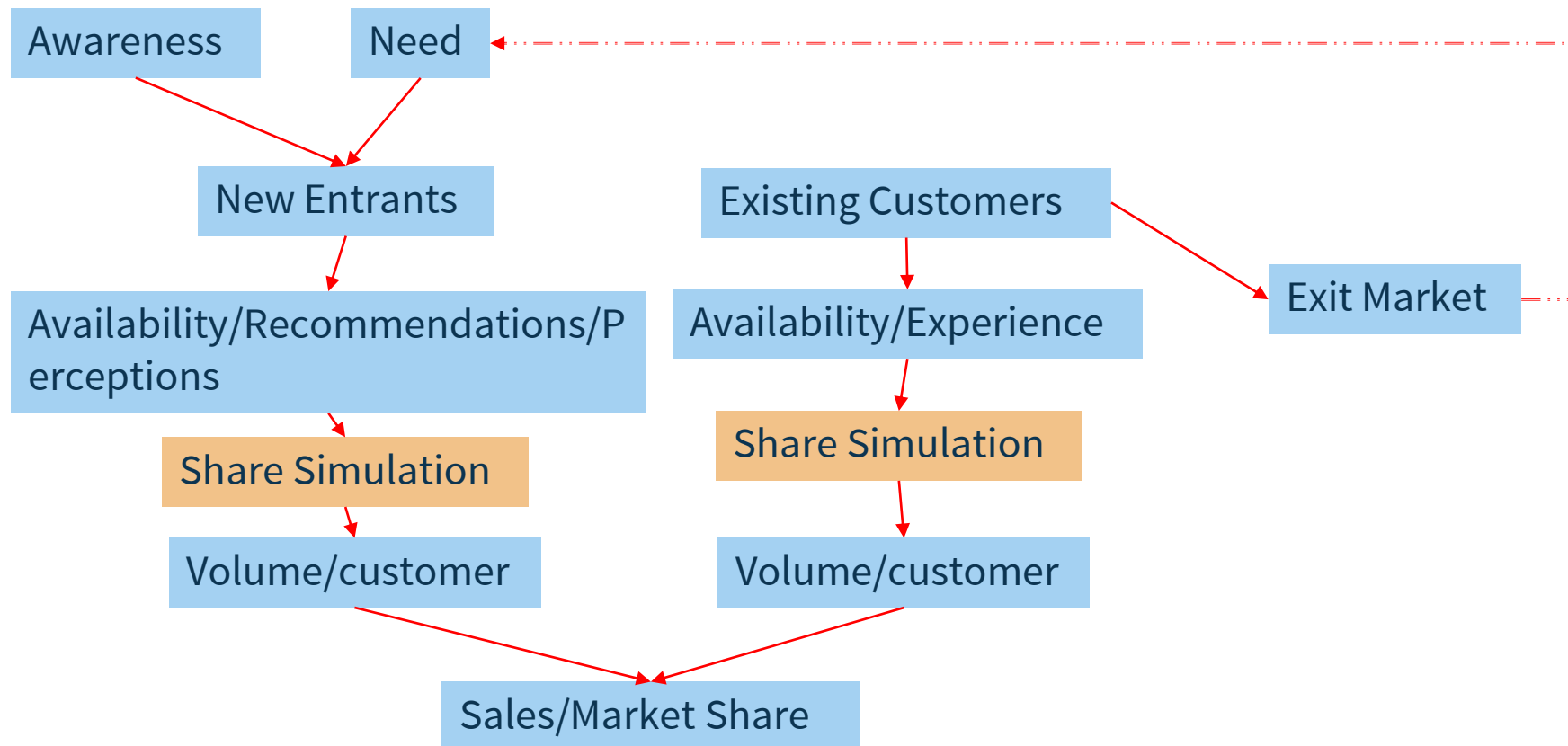
- ▶ Extrapolation is dangerous - used when clients request a simulation beyond the levels included in the design



- ▶ Who says that the relationship from \$30 to \$40 should continue beyond \$40?

Simulations as Part of a Forecasting System

- Share simulations may be just part of a larger forecasting effort



Humility

- ▶ *The Economist* recently reported (“A Mean Feat” 2016)
 - The IMF, using the best data in the world, has a mean error of prediction about national growth rates of 2.6 percentage points (21 months out)
 - This is better than a random number forecast (4.3 percentage points) or a forecast equal to the previous year’s result (2.9 percentage points)
 - But not by a lot

Accuracy in Forecasts

- ▶ Forecast accuracy improves as
 - Our simulations capture our market realistically
 - Our simulations have enough sample size to provide precision
 - We understand more of the levers that drive sales/share
 - The other components of our forecast system complement our simulations, filling in information gaps about those levers
 - Errors in all parts of the forecast system tend to cancel out (i.e. they are many, small and independent, so that the central limit theorem can be our friend)

QUESTIONS?



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References

“A Mean Feat” (2016) *The Economist*, January 9, p. 65.